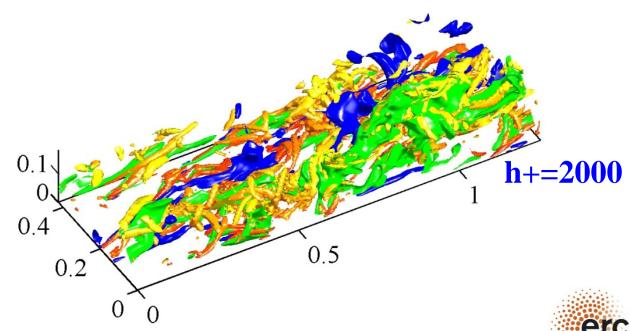
How Linear is Wall-Bounded Turbulence?

Javier Jiménez School of Aeronautics, Madrid

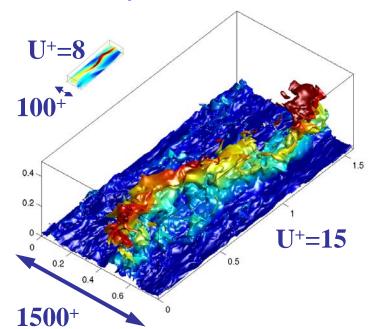




Structures

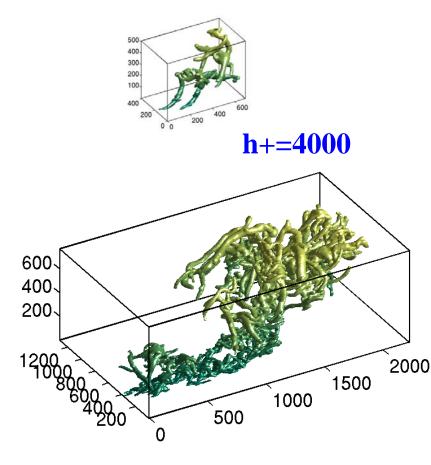
STREAKS

Buffer Layer



Logarithmic Layer

VORTICES

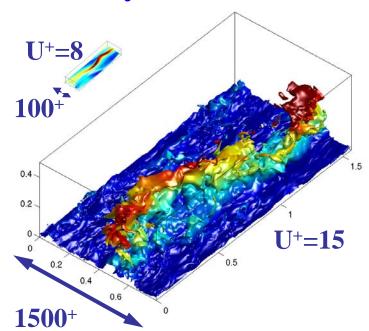


A. Lozano-Duran (2013)

Structures

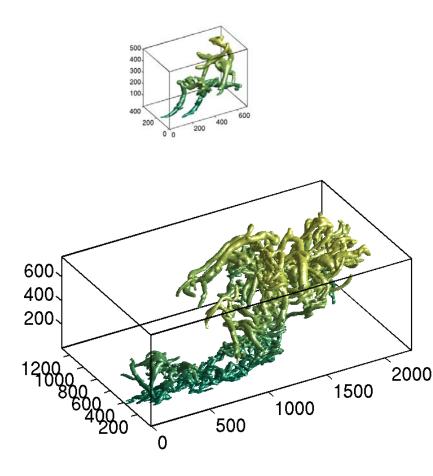
STREAKS

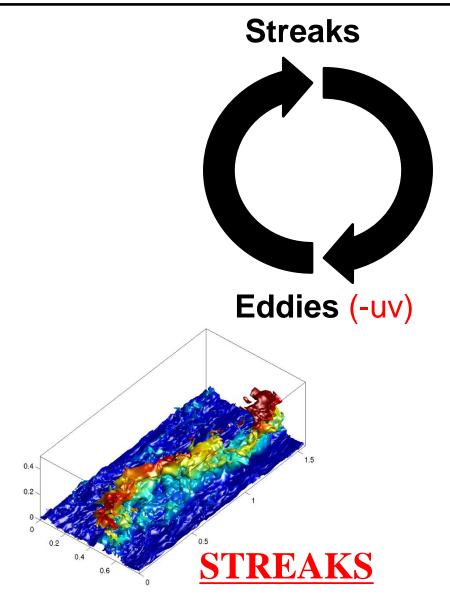
Buffer Layer

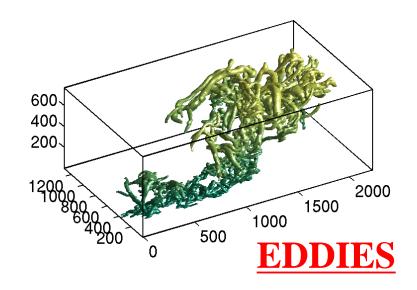


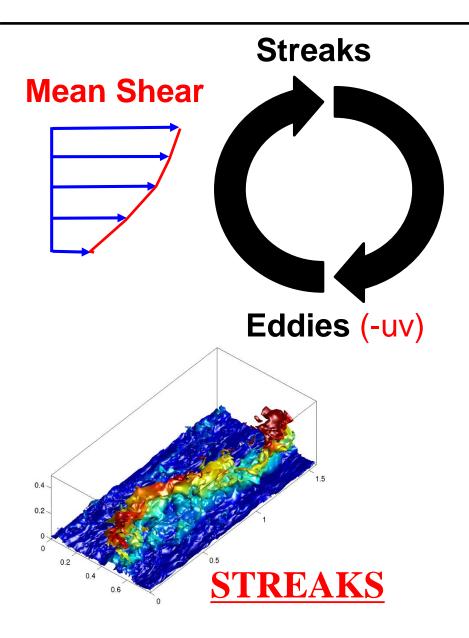
Logarithmic Layer

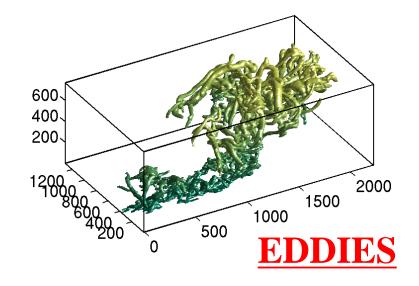
EDDIES (-uv)

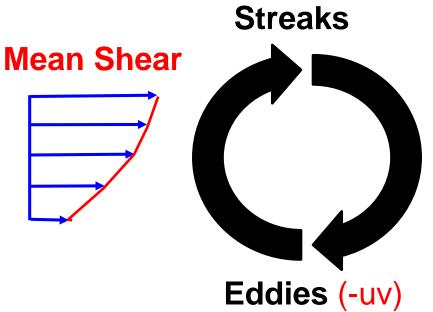










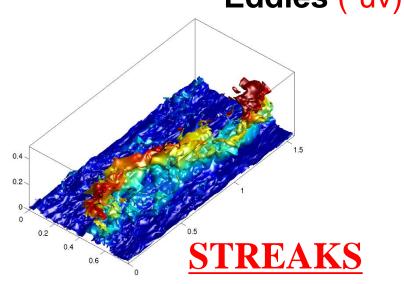


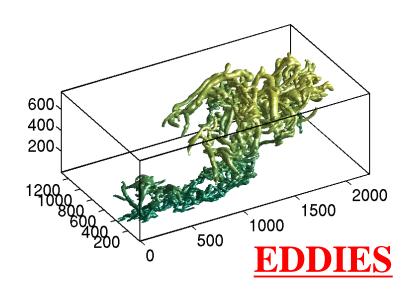
Mean+Perturbations= Linear?

ONLY FOR:

Su_λ²/ε >>1

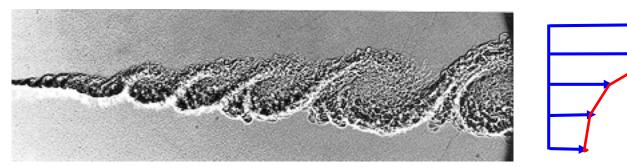
$$\lambda >> y/3$$

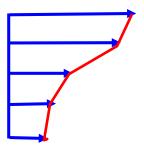




Linear Turbulence

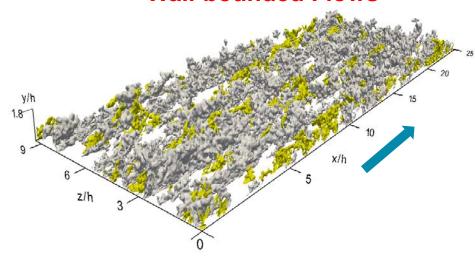
Free shear Flows

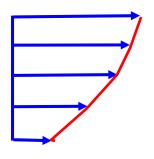




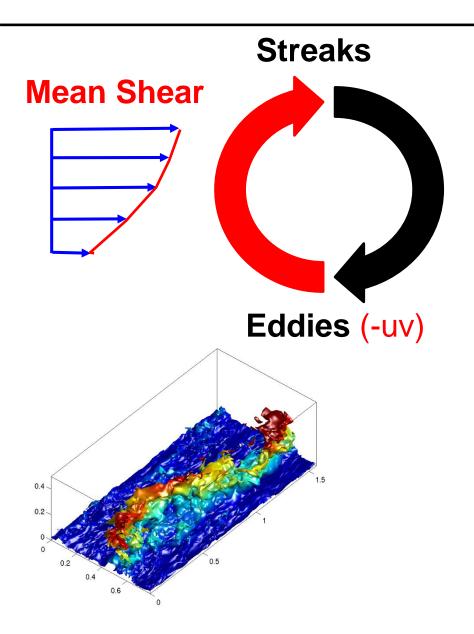
K-H Unstable

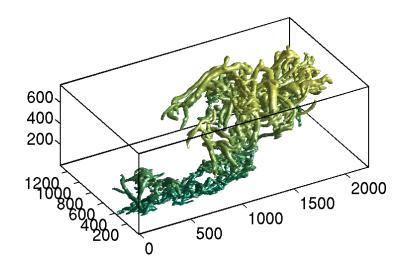
Wall-bounded Flows

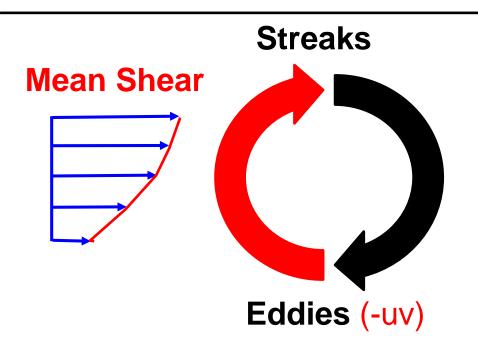




Stable



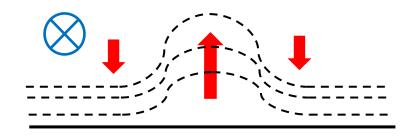


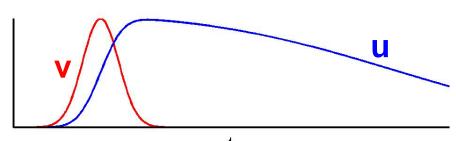


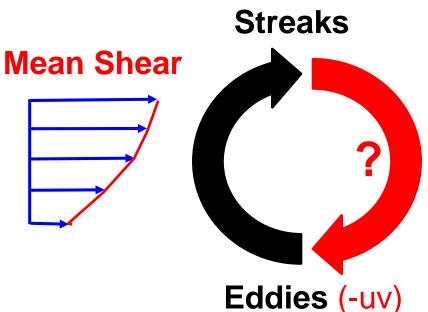
Linearised Squire Eq. Lift-up

$$\left(D_t - \mu \nabla^2\right) \omega_y = \left(-U' \partial_z v\right)$$

"transient, viscous"



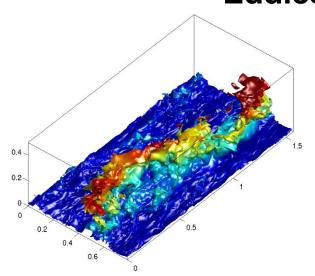


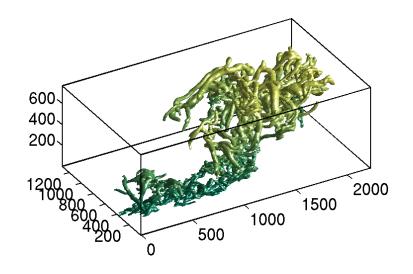


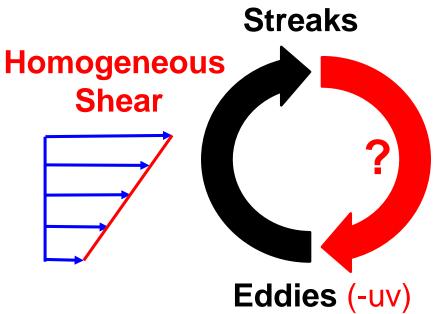
Linearised Orr-Sommerfeld Kelvin-Helmholtz

$$\left(D_t - \mu \nabla^2 \right) \nabla^2 v = U'' \partial_x v$$

$$D_t = \partial_t + U(y) \partial_x$$



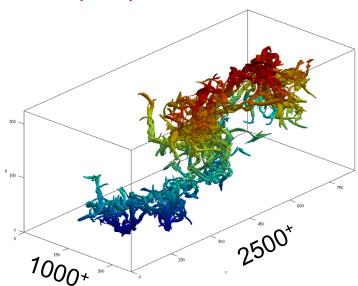


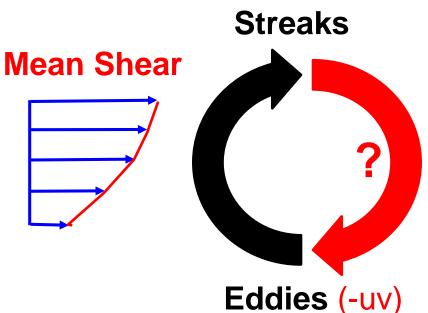


Linearised Orr-Sommerfeld Kelvin-Helmholtz

$$\left(D_t - \mu \nabla^2 \right) \nabla^2 v = U'' \partial_x v$$

$$D_t = \partial_t + U(y) \partial_x$$

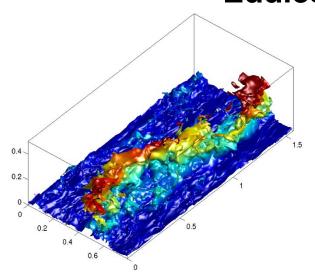


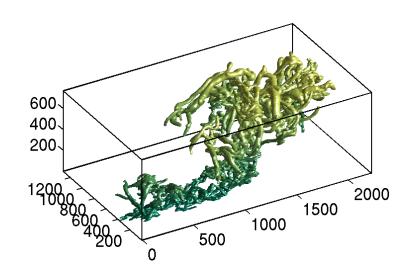


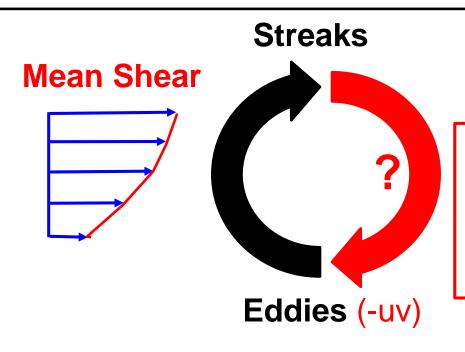
Linearised Orr-Sommerfeld Orr

$$(D_t - \nu V^2) \nabla^2 v = U'' \partial_x v$$

$$D_t = \partial_t + U(y) \partial_x$$



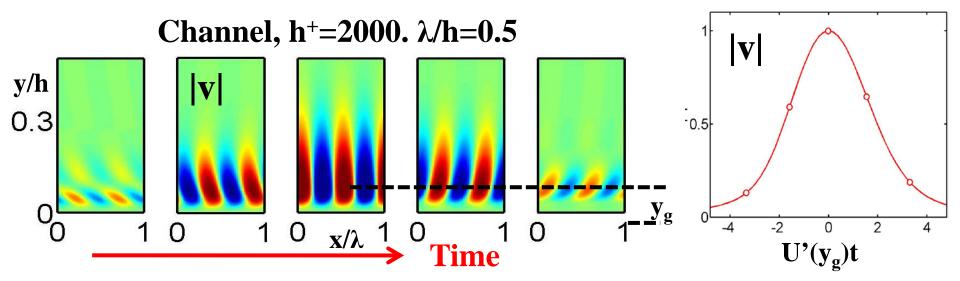




Linearised Orr-Sommerfeld Orr

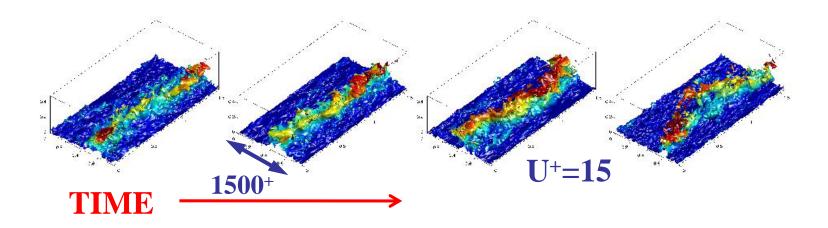
$$(D_t - \mu \nabla^2)(\nabla^2 v) = U'' \partial_x v$$
$$D_t = \partial_t + U(y) \partial_x$$

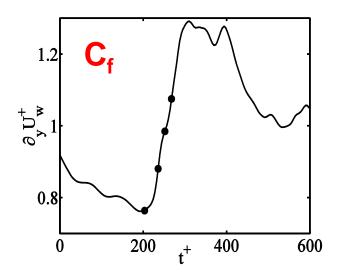
"transient, inviscid"

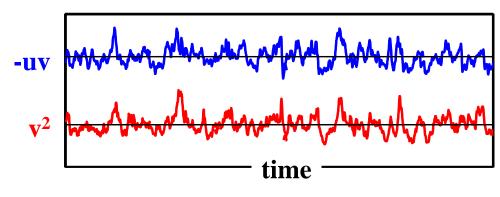


Wall Turbulence "Bursts"

"Minimal" Box, h+=1900; y/h=0.25

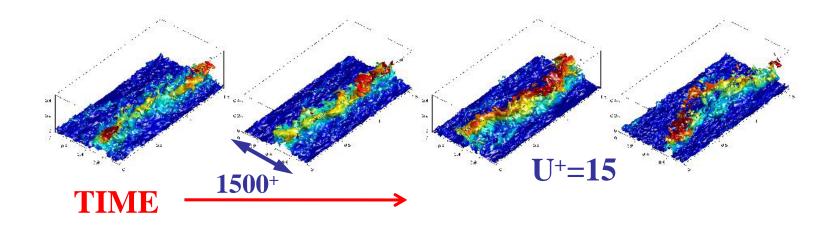


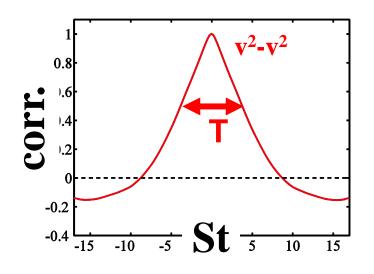


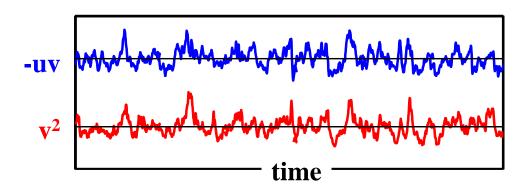


Wall Turbulence "Bursts"

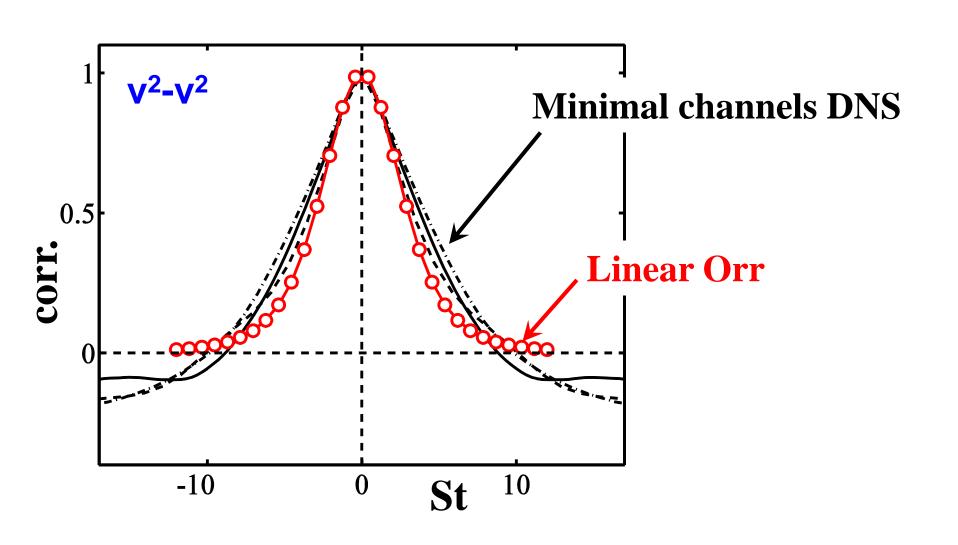
"Minimal" Box, h+=1900; y/h=0.25



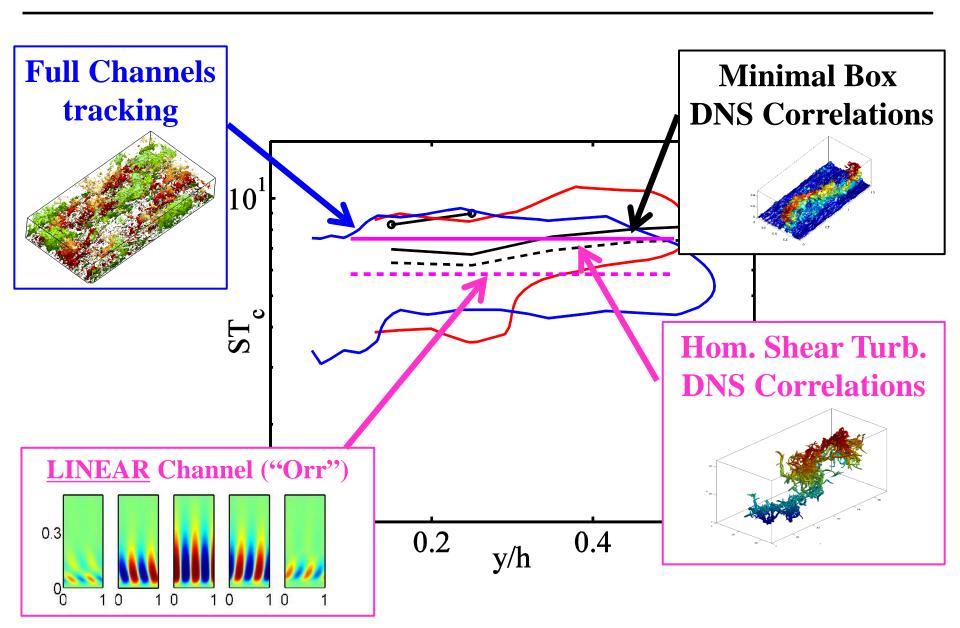




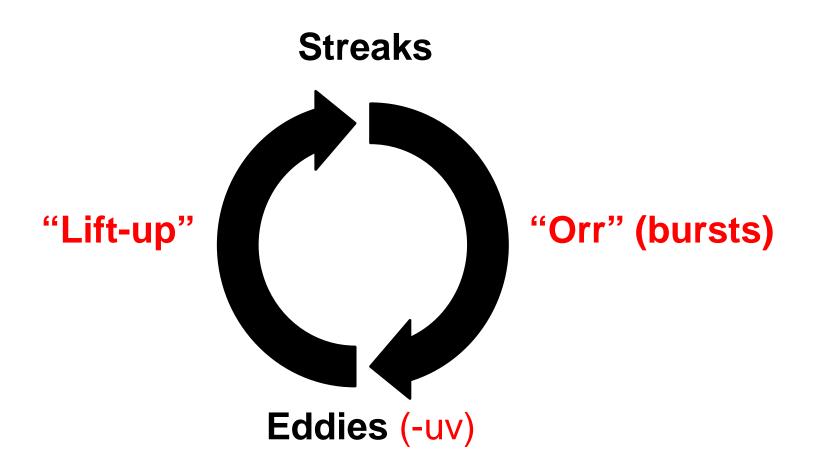
The Bursting Time History



The Bursting Time Scale

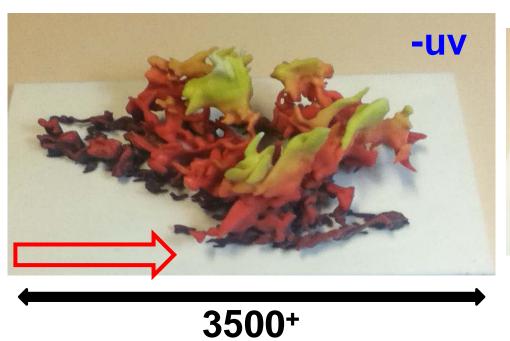


Summary



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A. Lozano-Durán, O. Flores

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